

WICHITA STATE UNIVERSITY

Motivation and Objectives

Motivation

- Graphene is being used to enhance desired transport properties and energy conversion renewable in various efficiency energy applications including fuel cells.
- However, water behaviors in presence of graphene are not well understood.

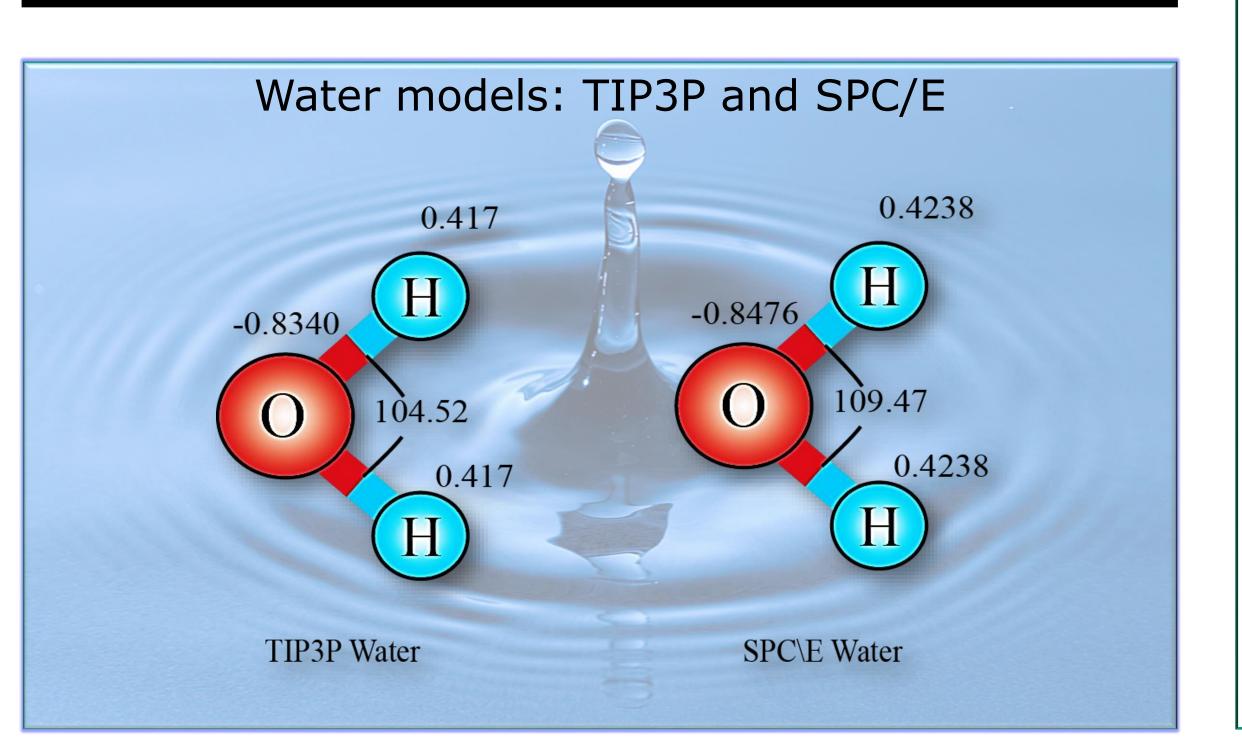
Objectives

- To articulate confined water behaviors (selfgraphene different diffusivity) in graphene using molecular dynamics nanogap sizes simulations graphene-water with various interatomic potentials.
- To provide a guideline to optimally design the graphene structures for the desired water transport properties.

Background

- Diffusivity as a one of the most important behaviors of water in a confined region is investigated is different studies.
- Some studies have reported higher water selfdiffusivity under confinement.
- Some studies have reported lower water selfdiffusivity which does not match the other studies.
- Effect of Nanogap size on water self-diffusivity is not studied much.
- The Effect of different water-carbon potentials on water self-diffusivity is poorly understood.

Methodology: Water Model

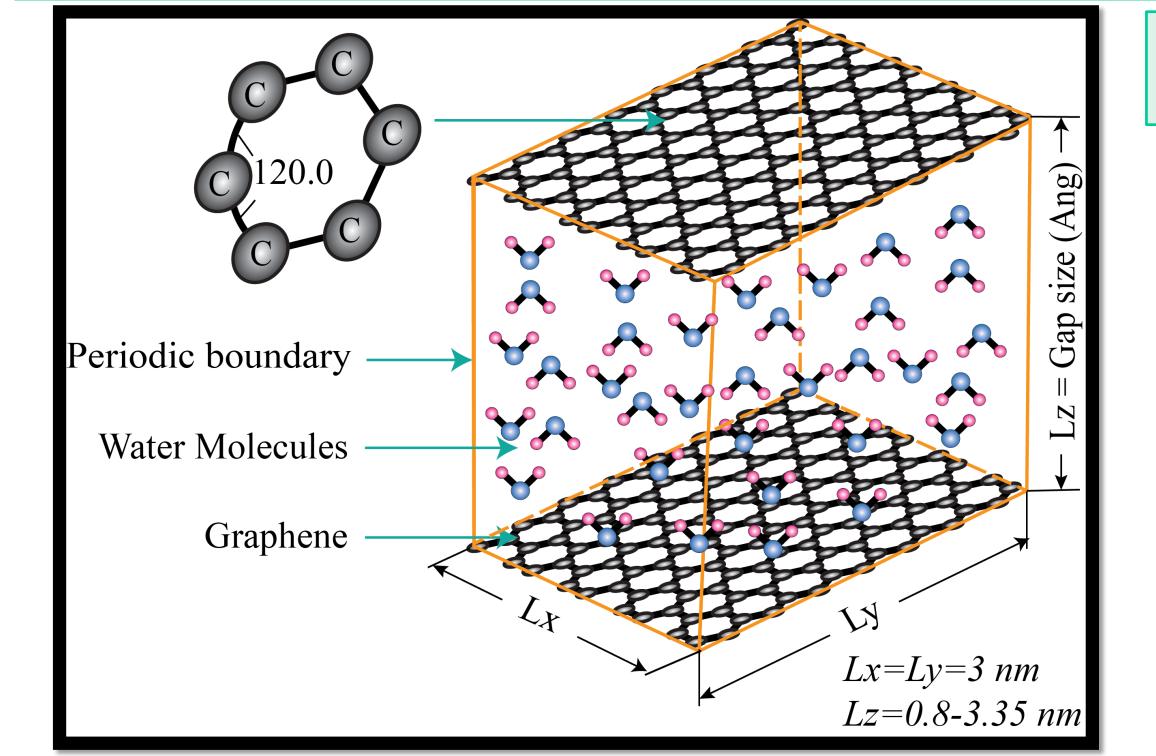


Comparative Studies on Water Self-Diffusivity Confined in Graphene Nanogap: Molecular Dynamics Simulation Mohammad Moulod and Gisuk Hwang

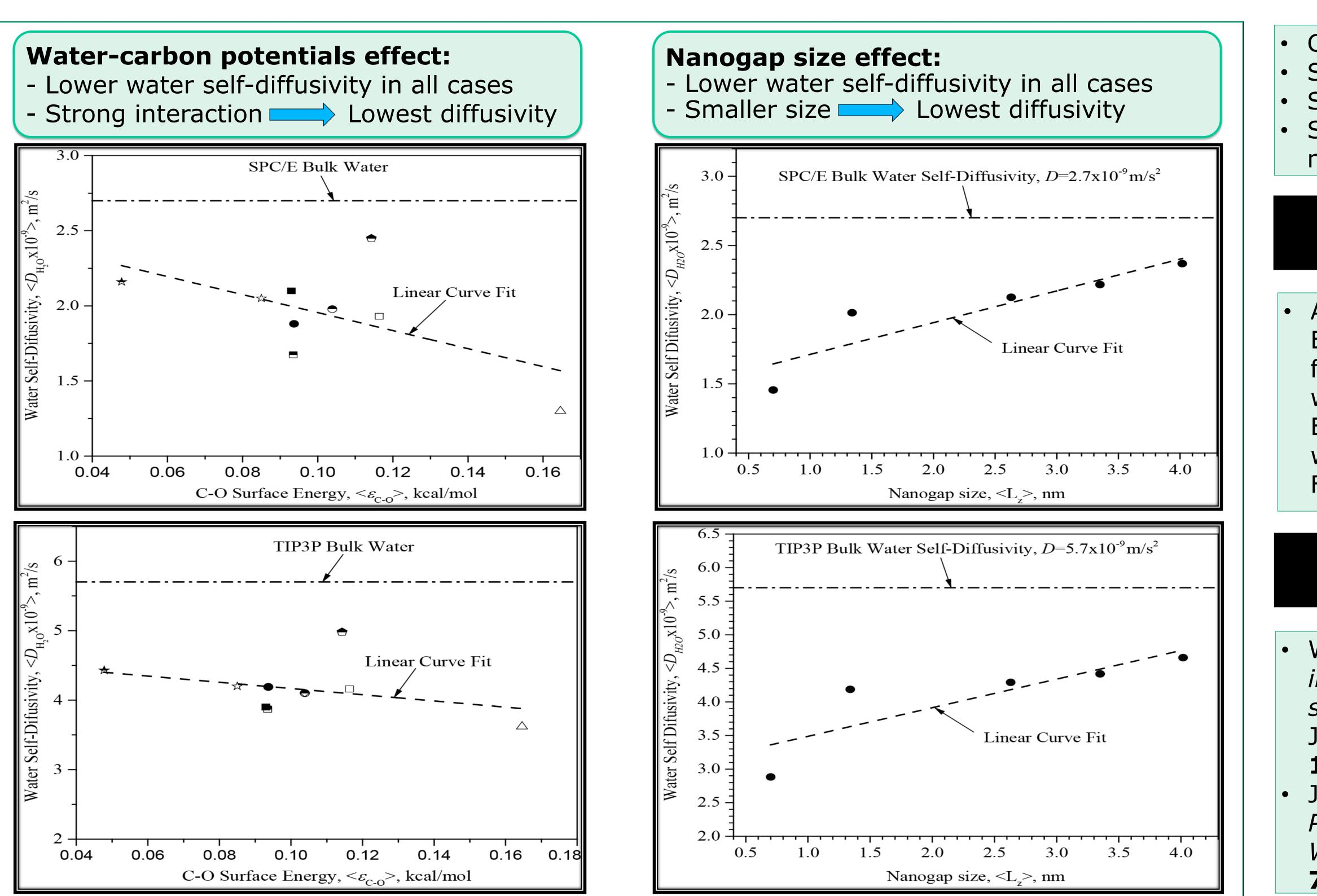
Department of Mechanical Engineering, College of Engineering Wichita State University GRASP Symposium, April 29th 2016

Methodology: Water in Graphene Nanogap

Graphene nanogap structure filled with water: different gap size in z direction are used to examine their effect on water self-diffusivity under confinement.



Results and Discussions: Water Self-Diffusivity

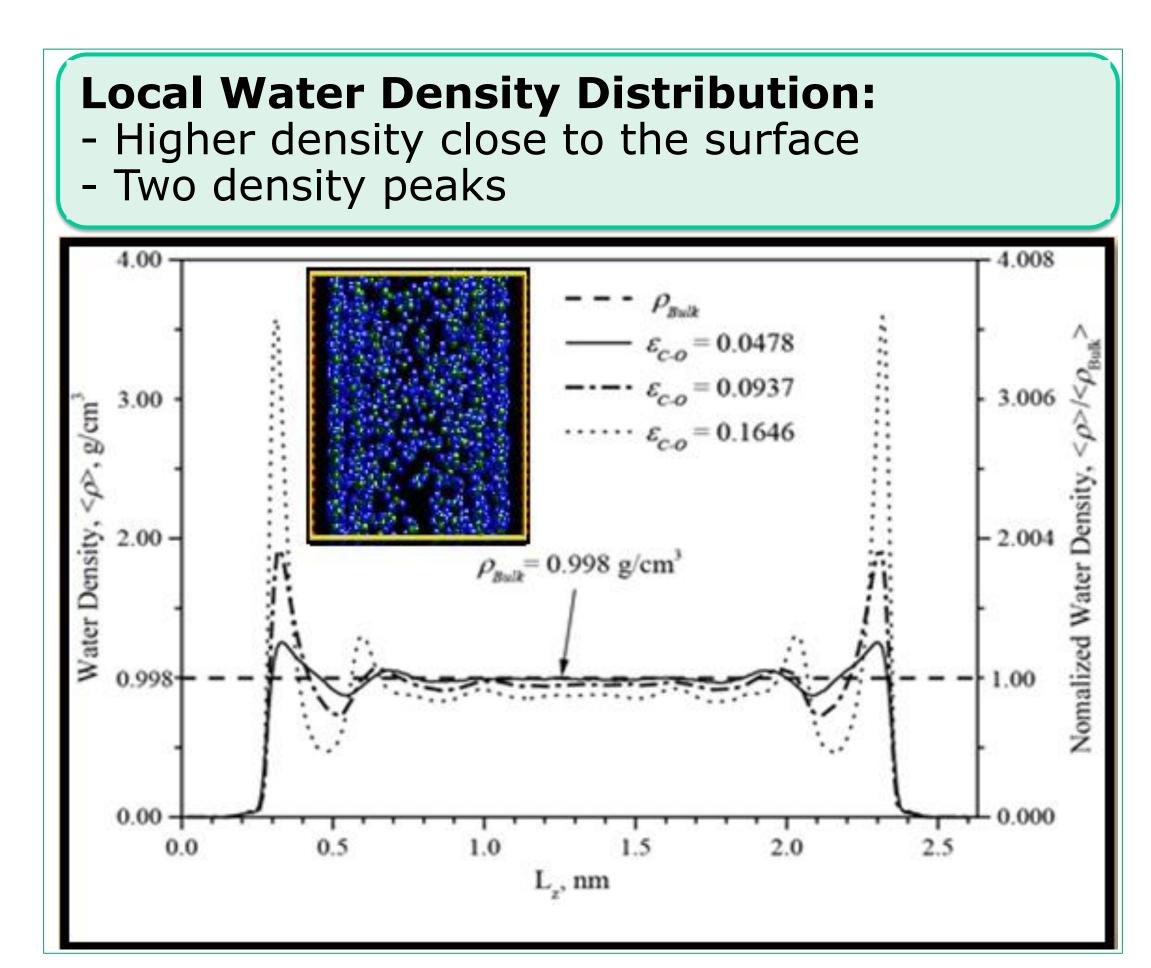


Potential Equations, Lenard-Jones Potential (LJ), and water self-diffusivity:

$$\varphi_{total} = \varphi_{bond} + \varphi_{angle} + \varphi_{van \, der \, walls} + \varphi_{coulombic}$$

$$\varphi_{bond} = \frac{1}{2} k_b \left(r - r_0 \right)^2, \quad \varphi_{angle} = \frac{1}{2} k_\theta \left(\theta - \theta_0 \right)^2$$

$$\varphi_{ij} = 4\varepsilon_{ij} \left\{ \left(\frac{\sigma_{ij}}{r_{ij}} \right)^{12} - \left(\frac{\sigma_{ij}}{r_{ij}} \right)^{6} \right\} + \frac{1}{4\pi\varepsilon_{0}} \frac{q_{1}q_{2}}{r_{ij}}$$
$$D = \lim_{n \to \infty} \frac{1}{6N_{m}t} \left\langle \sum_{j=1}^{N_{m}} \left[r_{j}\left(t\right) - r_{j}\left(0\right) \right]^{2} \right\rangle$$



Results: Local Water Density

Conclusion

Confinement decreases diffusivity in all cases. Strong interaction _____ Lowest diffusivity Smaller size Lowest diffusivity Surface energy results in slower water mobility in z direction.

Acknowledgment

 Authors would like to thank College of Engineering, Wichita State University for the financial support into this work. Also, this work used the Extreme Science and Engineering Discovery Environment (XSEDE), which is supported by National Science Foundation grant number ACI-1053575.

References

• Werder, T., et al., On the water-carbon interaction for use in molecular dynamics simulations of graphite and carbon nanotubes. Journal of Physical Chemistry B, 2003. **107**(6): p. 1345-1352.

• Jorgensen, W.L., et al., Comparison of Simple Potential Functions for Simulating Liquid Water. Journal of Chemical Physics, 1983. **79**(2): p. 926-935.